

# Searching Algorithms

Locating an element from within a data structure

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# Searching

## The process of searching

- ▶ Often, programmers work with large amounts of data stored in arrays.
- ▶ It may be necessary to determine whether an array contains a value that matches a certain key value.
- ▶ The process of locating a key value in an array is called **searching**.

# Linear Search

## A description of the linear search algorithm

- ▶ The linear search algorithm begins searching at the beginning of the array.
- ▶ It compares the search key value (the value that you are looking for) with the first item in the array.
- ▶ If there is a match, then it stops the search.
- ▶ If there is not a match, then the second item in the array is examined.
- ▶ The process is repeated until a match is found, or the end of the array is reached.

# Linear Search, Determine key Existence

- ▶ The following Java program performs a linear search on an array of integers.
- ▶ If the key value is found in the array, then the method returns `true`, otherwise it returns `false`.

# The BooleanSearch Class

```
public class BooleanSearch
{
    public static boolean linearSearch(int[] arr, int key)
    {
        for (int i = 0; i < arr.length; i++)
        {
            if (arr[i] == key)
            {
                return true;
            }
        }
        return false;
    }
}
```

# The BooleanSearch Class, Continued

```
public static void main(String[] args)
{
    int[] samples = {93,24,85,72,30,23,15,36};
    int query = 30;
    boolean result = linearSearch(samples, query);
    System.out.println("Found search key? " + result);

    query = 57;
    result = linearSearch(samples, query);
    System.out.println("Found search key? " + result);
}
}
```

# Linear Search, Determine key Location Index

- ▶ Sometimes, it is useful to know where in the array the item was found. In other words, the specific index.
- ▶ A return value of  $-1$  indicates that the searched item was not found in the array.

# The LocationSearch Class

```
public class LocationSearch
{
    public static int linearSearch(int[] arr, int key)
    {
        for (int i = 0; i < arr.length; i++)
        {
            if (arr[i] == key)
            {
                return i;
            }
        }
        return -1;
    }
}
```



# The LocationSearch Class, Continued

```
public static void main(String[] args)
{
    int[] samples = {93,24,85,72,30,23,15,36};
    int query = 30;
    int result = linearSearch(samples, query);
    System.out.println("Search key at: " + result);

    query = 57;
    result = linearSearch(samples, query);
    System.out.println("Search key at: " + result);
}
}
```

# Linear Search with Strings

- ▶ A linear search can also be used to search for a `String` within an array.
- ▶ However, you must remember to compare the `Strings` using `.equals()`

# The StringSearch Class

```
public class StringSearch
{
    public static int linearSearch(String[] arr, String key)
    {
        for (int i = 0; i < arr.length; i++)
        {
            if (arr[i].equals(key))
            {
                return i;
            }
        }
        return -1;
    }
}
```

# The StringSearch Class, Continued

```
public static void main(String[] args)
{
    String[] samples = {"cat", "dog", "mouse", "bird"};
    String query = "mouse";
    int result = linearSearch(samples, query);
    System.out.println("Search key at: " + result);

    query = "lizard";
    result = linearSearch(samples, query);
    System.out.println("Search key at: " + result);
}
}
```

# Linear Search Algorithm Analysis

## Determining the time efficiency

- ▶ Computer scientists talk about the **efficiency** of an algorithm in terms of its best, average, and worst case runtime.
- ▶ The **best case** occurs when the data is organized in such a way that the algorithm works at its peak performance, or fastest.
- ▶ The **average case** occurs when the data is organized in such a way that the algorithm works at its average speed.
- ▶ The **worst case** occurs when the algorithm is least efficient, or works at its slowest speed.

# Linear Search Algorithm Analysis

## Time efficiency of the worst case

- ▶ The **worst case** is often the one that most people examine when analyzing an algorithm, because it gives you the best guaranteed performance of the algorithm.

## Analyzing the time efficiencies

- ▶ Assume that  $n$  represents the size of the array to be searched.
- ▶ The linear search algorithm has the following time efficiencies(see next slide).

# Linear Search Algorithm Analysis

## Best case

- ▶ This is when the item to be searched is the first item in the array.

## Worst case

- ▶ When the item to be searched is at the end of the array, or it is not in the array.
- ▶ The search makes  $n$  comparisons before it determines that the item is not in the array.

## Average case

- ▶ When the item to be searched is in a random location. The search makes on average  $n/2$  comparisons before it locates the item.

# Binary Search

## A more efficient search algorithm

- ▶ Linear search works well for arrays that are fairly small, such as a few hundred elements.
- ▶ As the array in question gets very large, say, millions of elements, then the efficiency of the linear search degrades.
- ▶ If the array of elements is in sorted order, then there is a much better algorithm: **binary search**.



# The Binary Search Algorithm

## A description of binary search

- ▶ Before a binary search can be performed, the data must be in sorted order, either ascending or descending.
- ▶ The basic idea is to examine the element at the array's midpoint on each pass through the search loop.
- ▶ If the current element matches the target, then we return its position.

# The Binary Search Algorithm

## A description of binary search, continued

- ▶ If the current element is less than the target, then we search the part of the array to the right of the midpoint(containing the positions of the greater items).
- ▶ Otherwise, we search the part of the array to the left of the midpoint(containing the positions of the lesser items).
- ▶ On each pass through the loop, the current leftmost position or the current rightmost position is adjusted to track the position of the array being searched.

# The Binary Search Algorithm Analysis

## Determining the time efficiency

- ▶ Assume that  $n$  represents the size of the array to be searched.

## Best case

- ▶ The key is found on the first try.

## Average case

- ▶ You would need about half the comparisons of the worst case.

# The Binary Search Algorithm Analysis

## Worst case

- ▶ The key is not in the array, or it is at either end of a subarray.
- ▶ In such a case, the  $n$  elements must be divided by 2 until there is just one element remaining, and then that last element must be tested.
- ▶ This equals  $\log_2 n$  comparisons.
- ▶ Therefore, in the worst case, the algorithm takes roughly  $\log_2 n$  units of time.
- ▶ For example, if the size of the array is 8, then the number of comparisons needed is 3, since  $\log_2 8 = 3$ .

# The BinarySearch Class

```
public class BinarySearch
{
    public static int binarySearch(int[] arr, int key)
    {
        int left = 0;
        int right = arr.length - 1;
        while (left <= right)
        {
            int midpoint = (left + right)/2;
            if (arr[midpoint] == key)
                return midpoint;
            else if (arr[midpoint] < key)
                left = midpoint + 1;
            else
                right = midpoint - 1;
        }
        return -1;
    }
}
```

# Searching Algorithms: End of Notes